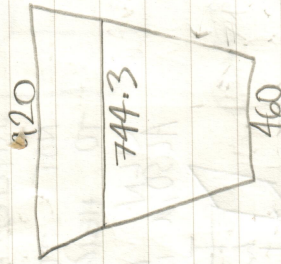


OPTION 1

$$460 \times 1.618034 = 744.29564$$

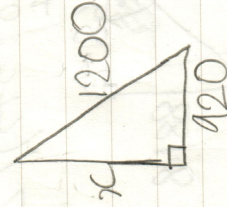


Angle at base of panel is also 79° , similar to Option 3! \therefore the golden mean is found within the panel!

The question is, where do you want the golden ratio to occur in the panel? At the top half way up, $3/4$? Maybe better at the top, where the corners will occur...

—

HEIGHT

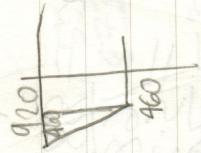


$$x^2 + 420^2 = 1200^2$$

$$\sqrt{1200^2 - 420^2} = x$$

$$770.45 = x$$

$$1200 - 460 = 460$$



$$x = \sqrt{1200^2 - 460^2}$$

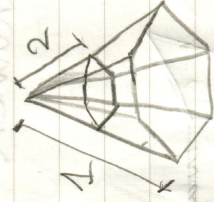
$$x = 1110m$$

So, $111 - \sim 30$ (square meter) = 81m of biochar
 → Hard to work out volume!

Volume of a pointy hexagonal pyramid

$$V = \frac{\sqrt{3}}{2} a^2 h, \text{ a is base edge, h is height}$$

So volume is large hex pyramid (if you extended it out to a vertex) - small hex pyramid (the truncated bit)

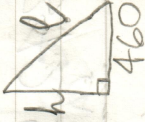


$$h = 1108.332$$

$$a = 460$$

$$h = 2238.3$$

$$a = 920$$



$$h = \sqrt{920^2 - 460^2}$$

$$h = 2238.3$$

$l = 2370 - 1200 = 1170$ - Need to drop to find h !

$$460^2 + h^2 = 12^2$$

$$h = \sqrt{1200^2 - 460^2}$$

$$h = 1108.332$$

$$V_1 = \frac{\sqrt{3}}{2} \times 920^2 \times 2238.3$$

$$= 0.866$$

$$= 1640682633$$

$$V_2 = \frac{\sqrt{3}}{2} \times 460^2 \times 1108.332$$

$$= 203102920.1$$

$$V_1 - V_2 = 1437579713$$

$$= 1437.579713$$

$$\Rightarrow 1438l$$

(NOT TAKING INTO ACCOUNT REDUCTION IN VOLUME FROM DOUBLE TOP FOLD & 30cm - RAYGUNTS ROOFTOP & BIOCHAR)